Roll No. :

328415(28)

B. E. (Fourth Semester) Examination, April-May 2021

(Old Scheme)

(AEI, El & Et&T Engg. Branch)
SIGNALS
SINGLES & SYSTEMS

Time Allowed: Three hours

Maximum Marks: 80

Minimum Pass Marks: 28

Note: Part (a) of each question is compulsory to alternate and attempt any two part from part b, c, d of each question.

Unit-I

1. (a) Define unit step signal.

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(b) Sketch the signal $x(t) = e^{-a|t|}$ for a > 0 and determine whether the signal is power signal or an energy signal or neither.

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- (c) (i) Check whether the following systems are time invariant or time-variant
 - $(1) y(t) = \sin x(t)$

 - (ii) Determine if the systems described by the followed input-output equation are linear or non linear.
 - $(1) \quad y(n) = nx(n)$
- (2) $y(n) = x^2(n)$
- (d) State and explain the condition for signal is periodic or non periodic and even or odd signal.

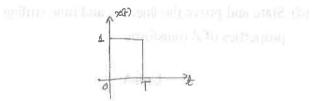
Unit-II

- (a) Define ROC.
 - (b) State and explain any seven properties of founer transform.

(c) State and explain any seven properties of Laplace transform.

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(d) Find the fourier transform of rectangular pule shown in figure.



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- (a) Define transfer function.
 - (b) Find impulse response of system described by the equation 2y'(t) + 3y(t) = x(t)
 - (c) Drew direct-I and II structures for the difference

equation
$$\frac{d}{dt}y(t)+y(t)=5x(t)$$
 may be $t=0$

(d) Define state, state variable, state vectors and state space.

Unit-IV

4. (a) State the condition for existence of FT.

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	(b) Obtain DTFT of unit step 4 cm.	7
	(c) Obtain N-pant DFT of exponential sequence $x(n)a^nu(n)$ for $0 \le n \le n-1$.	7
	(d) State and prove the linearty and time stufing properties of Z transform.	7
	Unit-V	
5.	(a) Define FFT.	2
	(b) List explain different building blocks are used in block diagram representation for LTI system described by difference equation.(c) Obtain linear convolution of following sequance using graphical method.	
	$x(n) = \{1, 2, 1, 2\}$ and $n(n) = \{1, 1, 1\}$ (d) Find out zero input response for a second order	
×	difference equation.	1
	y(n)-3y(n-1)-4y(n-2)=x(n)	
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